

Molecular states in a one-electron double quantum dot

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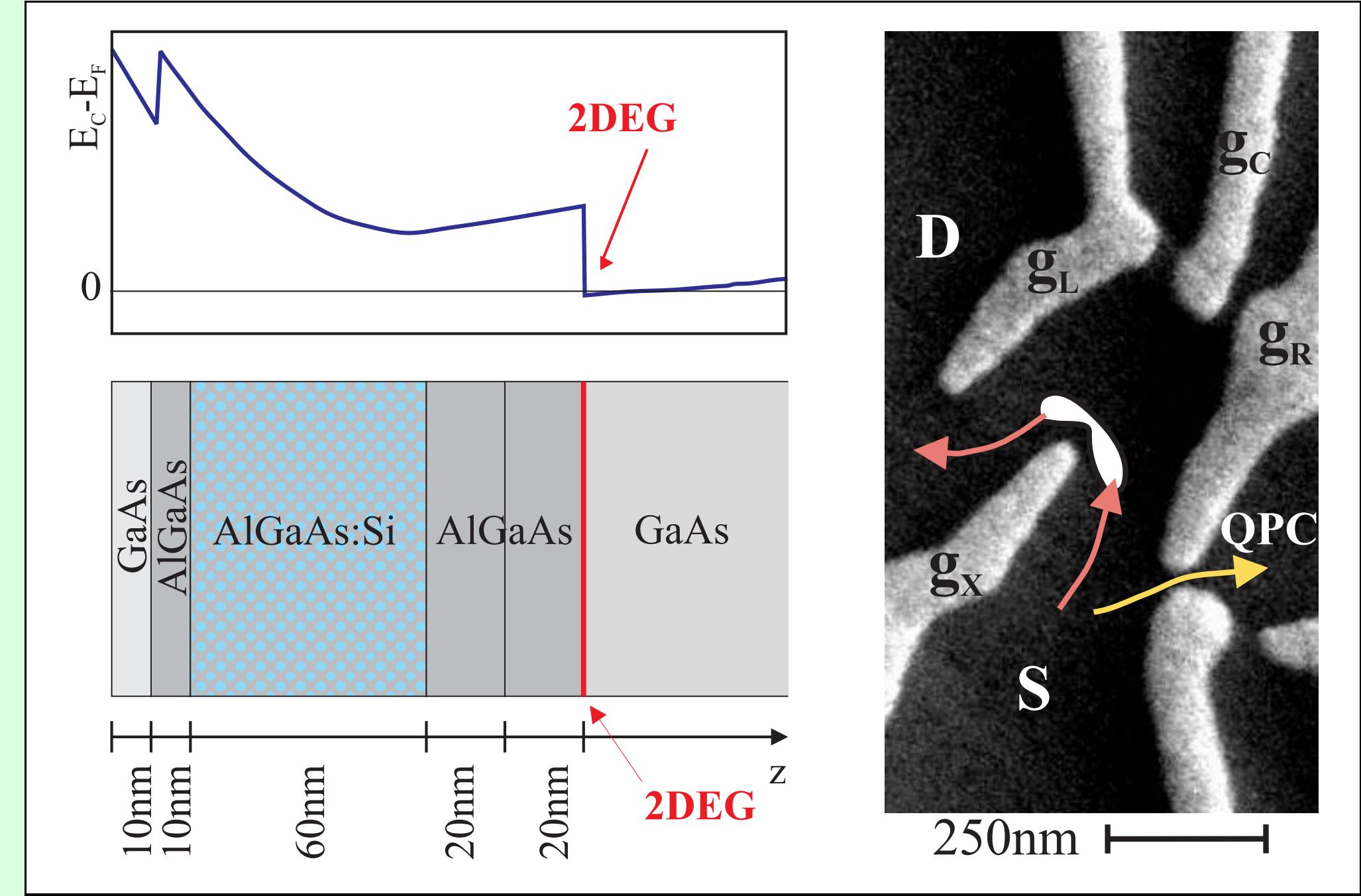


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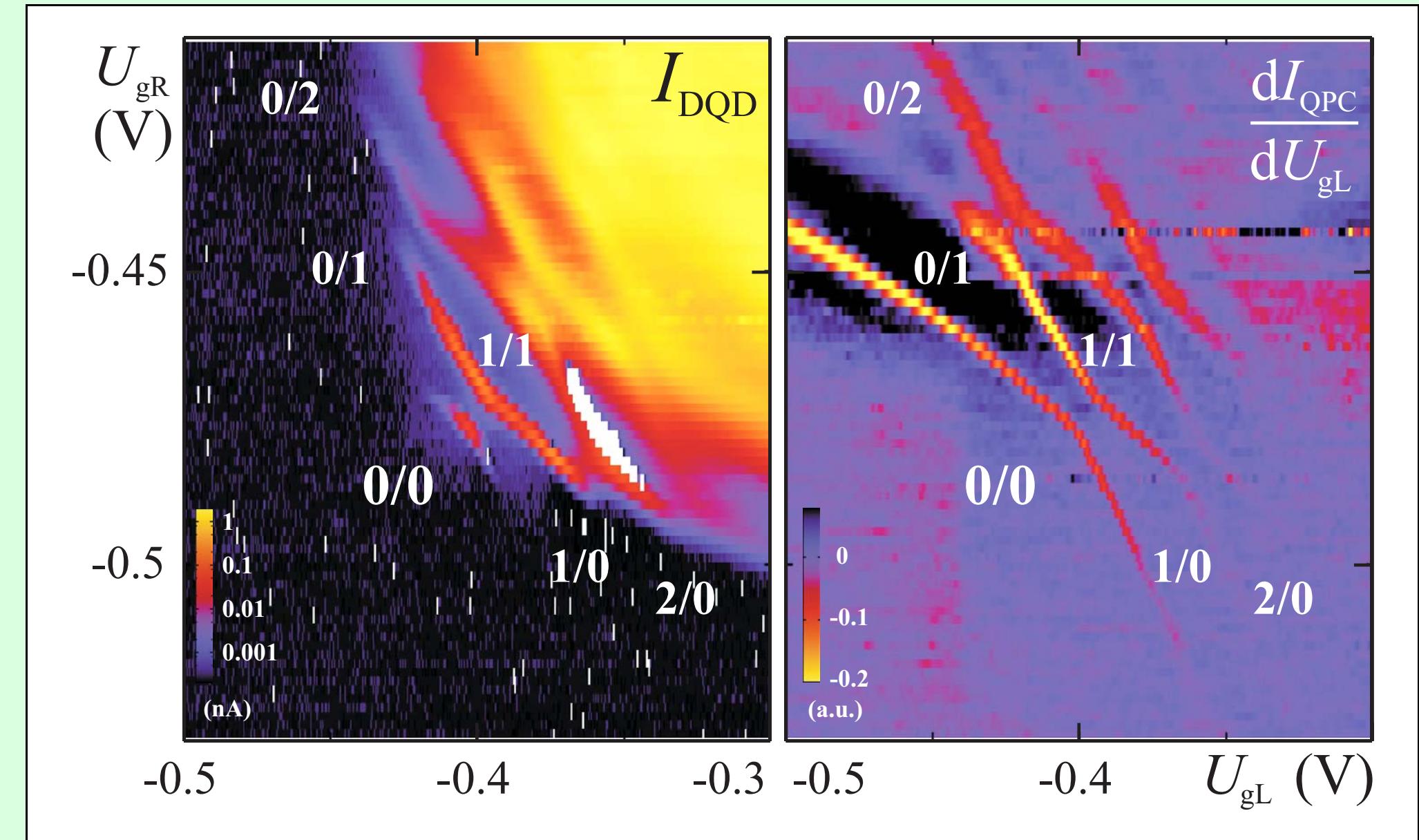
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Material system



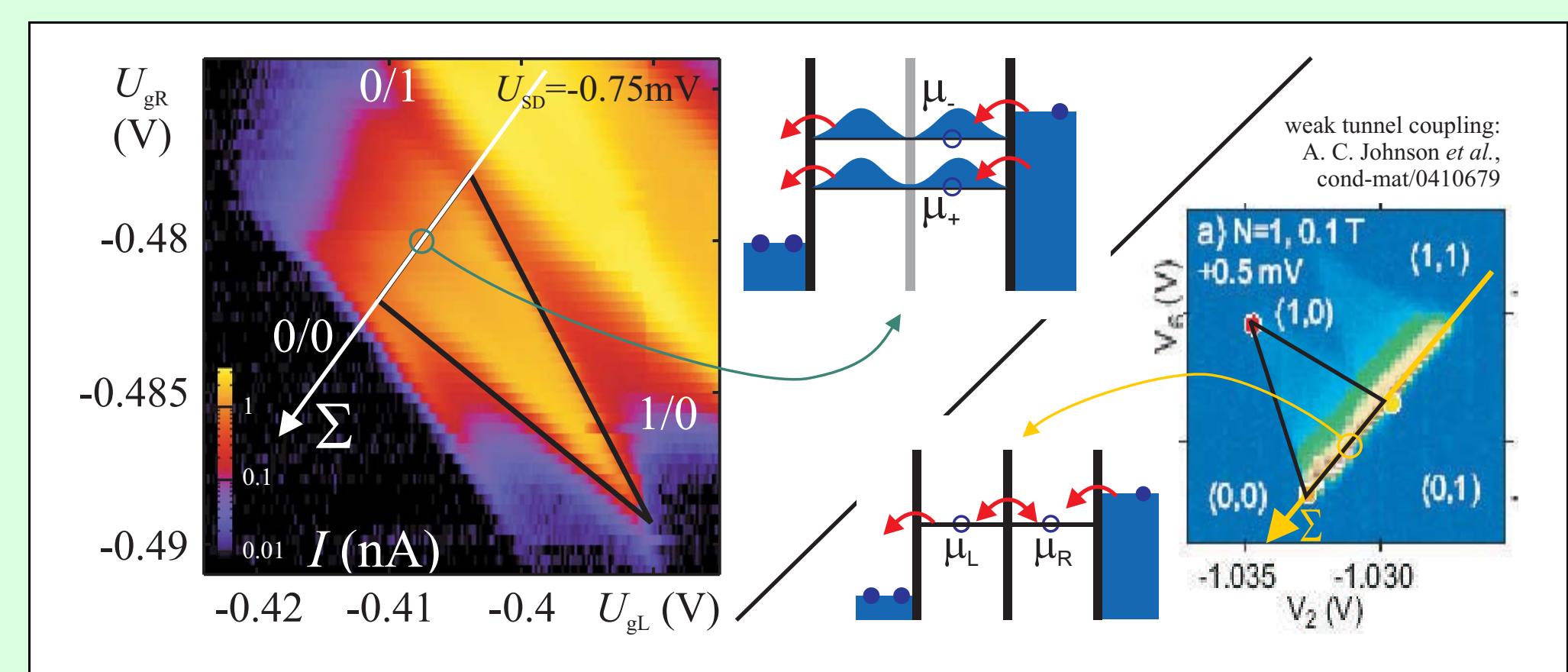
- GaAs/AlGaAs heterostructure
- Top gates written by SEM lithography
- Triangular geometry for low electron numbers [1]
- Quantum point contact (QPC) for electrostatic charge detection [2,3]

Double dot charging diagram



- Sweep of right versus left side gate
- Direct dc-current measurement (left plot)
→ Strong interdot coupling, delocalization
- Quantum point contact charge detection (right plot)
→ Double quantum dot can be emptied completely
→ Delocalization, continuous charge redistribution between dots at the symmetry line $0/1 \leftrightarrow 1/0$
→ No maximum in $|dI_{QPC}|$ at this line [4]

Transport window at finite U_{SD}



- $U_{SD} = -0.75$ mV → transport window
- Weak coupling case: triangle expected
- Here: strong tunnel coupling
- Edges of current onset follow molecular states

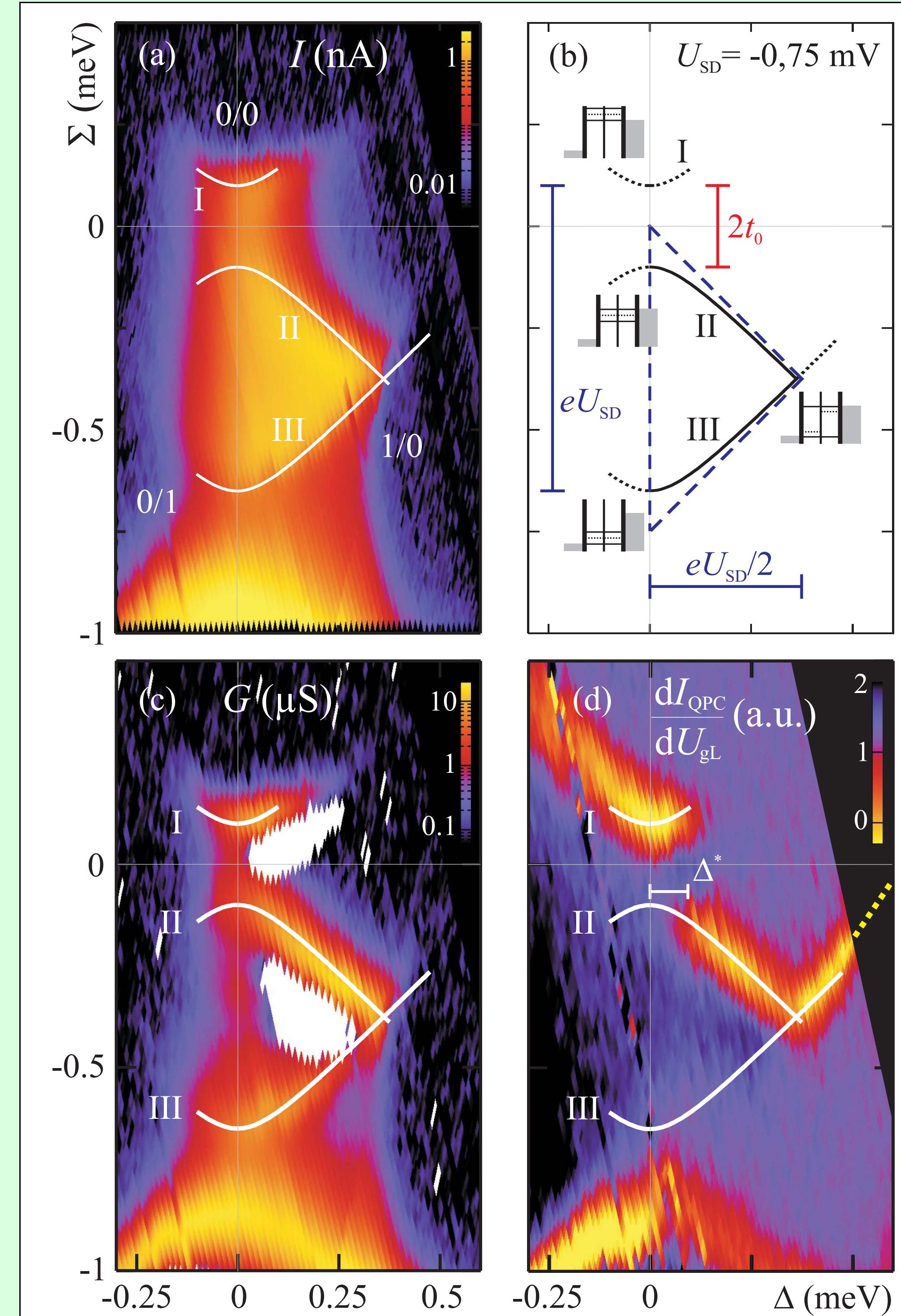
$$H \doteq \begin{pmatrix} \Delta & -t_0 \\ -t_0 & -\Delta \end{pmatrix}, \quad \mu_{\pm}(\Delta) = \mp \sqrt{\Delta^2 + t_0^2}$$

(see model lines, next plot)

Anticrossing at finite U_{SD} , $N \leq 1$

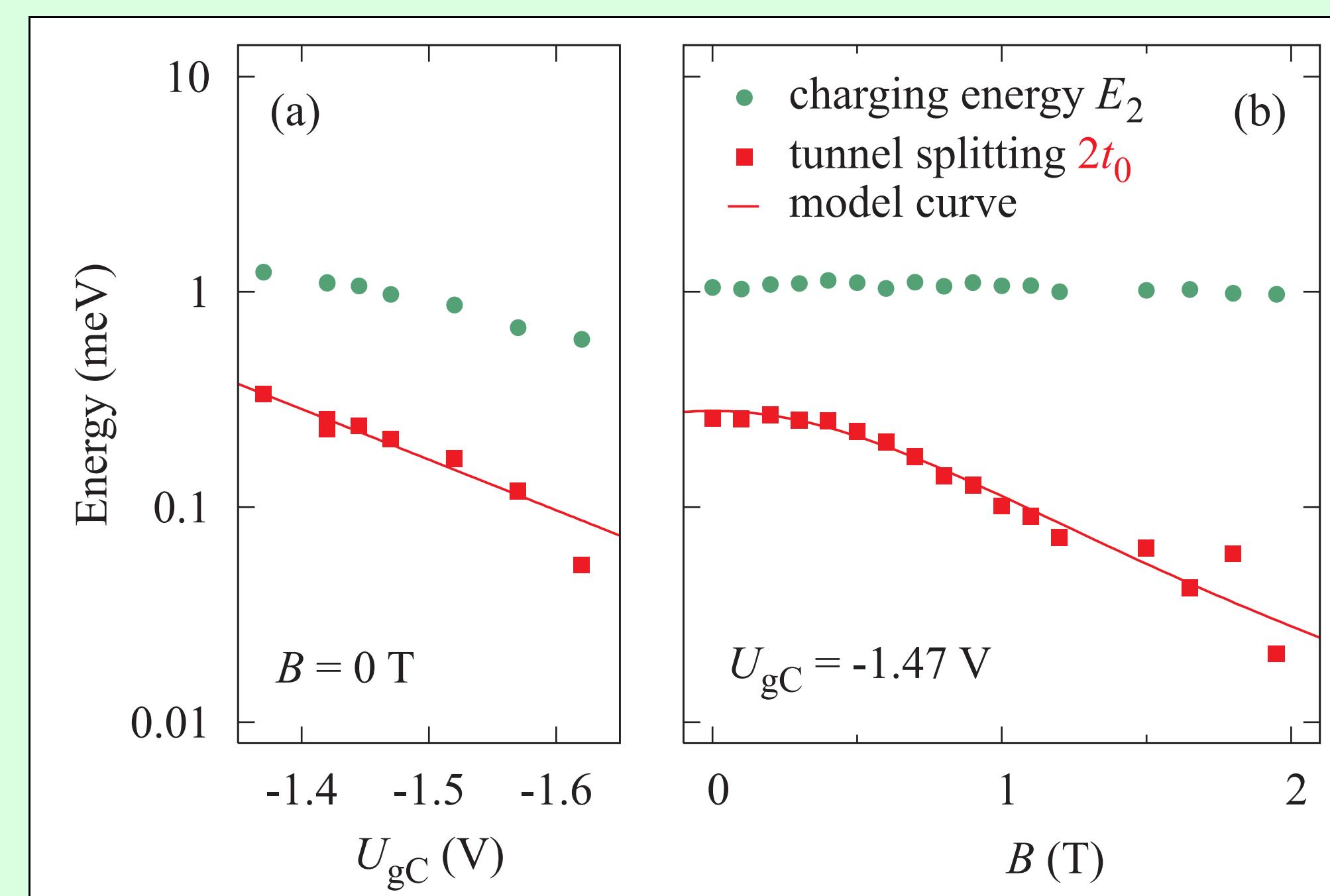
Coordinate transformation $U_{gL}, U_{gR} \rightarrow \Sigma, \Delta$

$$\Sigma = \frac{\mu_R + \mu_L}{2}, \quad \Delta = \frac{\mu_R - \mu_L}{2}$$



- Tunnel splitting $2t_0$ clearly visible and easily quantified (via comparison to eU_{SD})
- Bottom of plot: onset of two-electron charging
- White areas (lhs plot): negative conductance G
- Discontinuity of charging line at $\Delta^* > 0$ (rhs plot)
→ tunnel rates to source vs. drain: $t_S/t_D \sim 5$

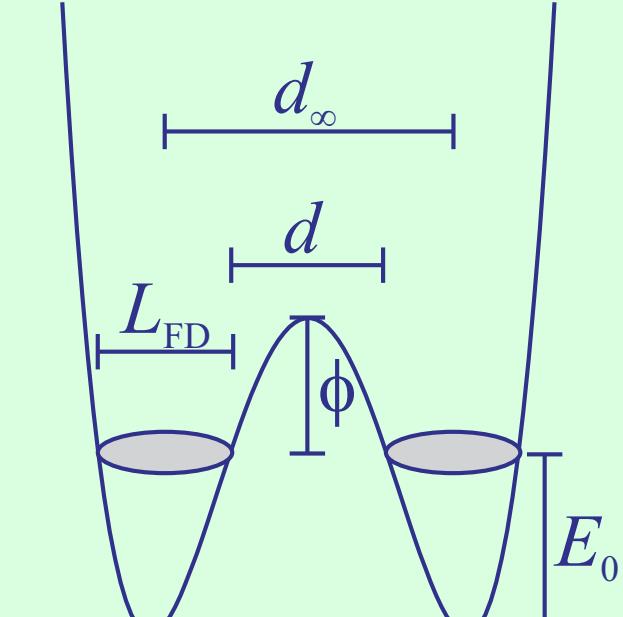
Controlling the tunnel splitting



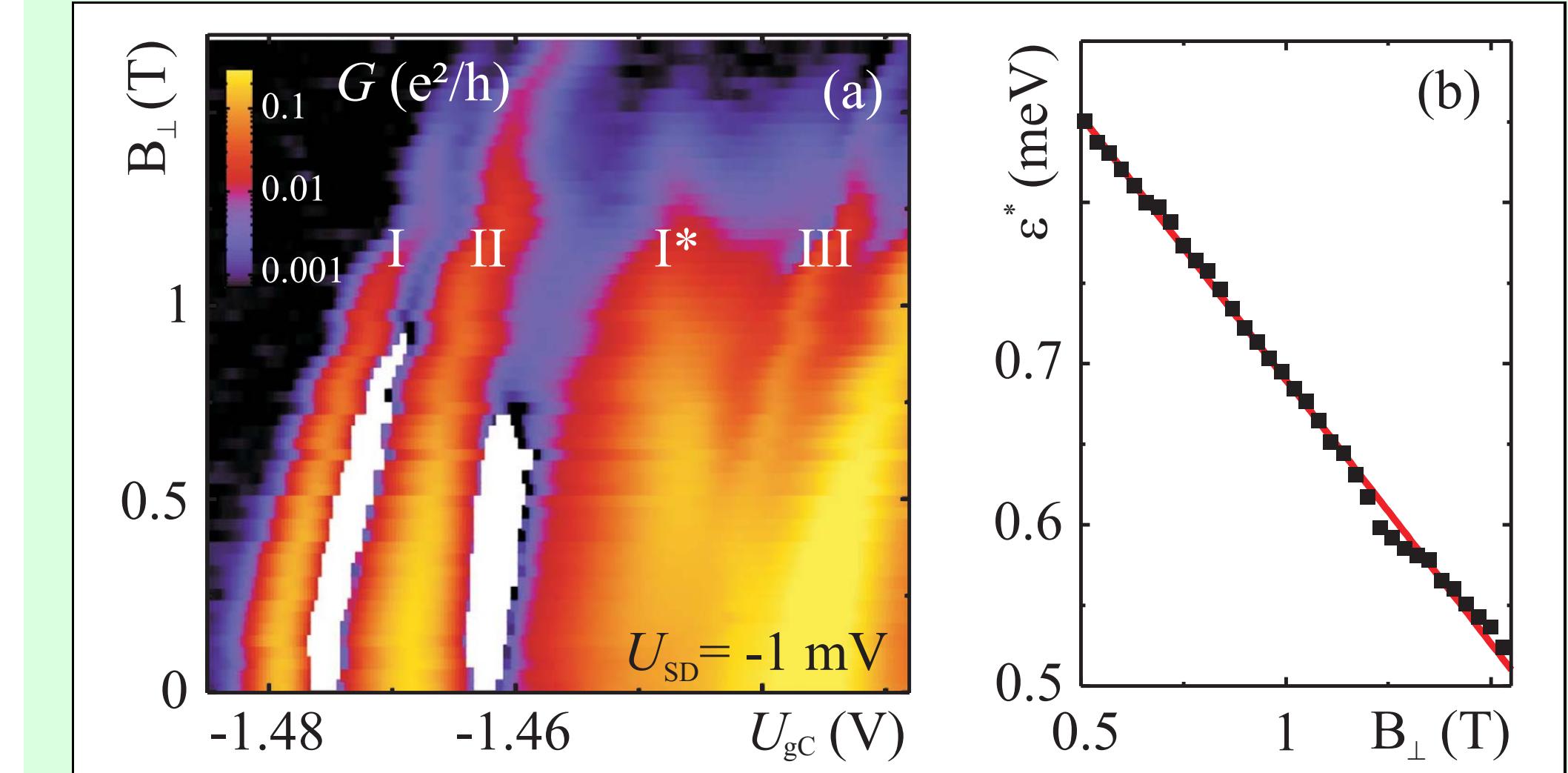
- E_2 : charging energy for the second electron
- Larger $|U_{gC}|$ pushes the two dots apart
→ smaller $2t_0$, smaller E_2
- B_{\perp} compresses the quantum dot states
→ smaller $2t_0$, constant E_2
- Model (WKB & Fock-Darwin)

$$2t_0 \simeq 2E_0/\pi \exp(-\sqrt{2m^*\phi}d/2\hbar), \quad d(B) = d_{\infty} - L_{FD}(B),$$

$$L_{FD}(B) = \sqrt{\frac{\hbar}{\omega_c m^*}} \left(1 + \frac{4\omega_0^2}{\omega_c^2}\right)^{-\frac{1}{4}}$$

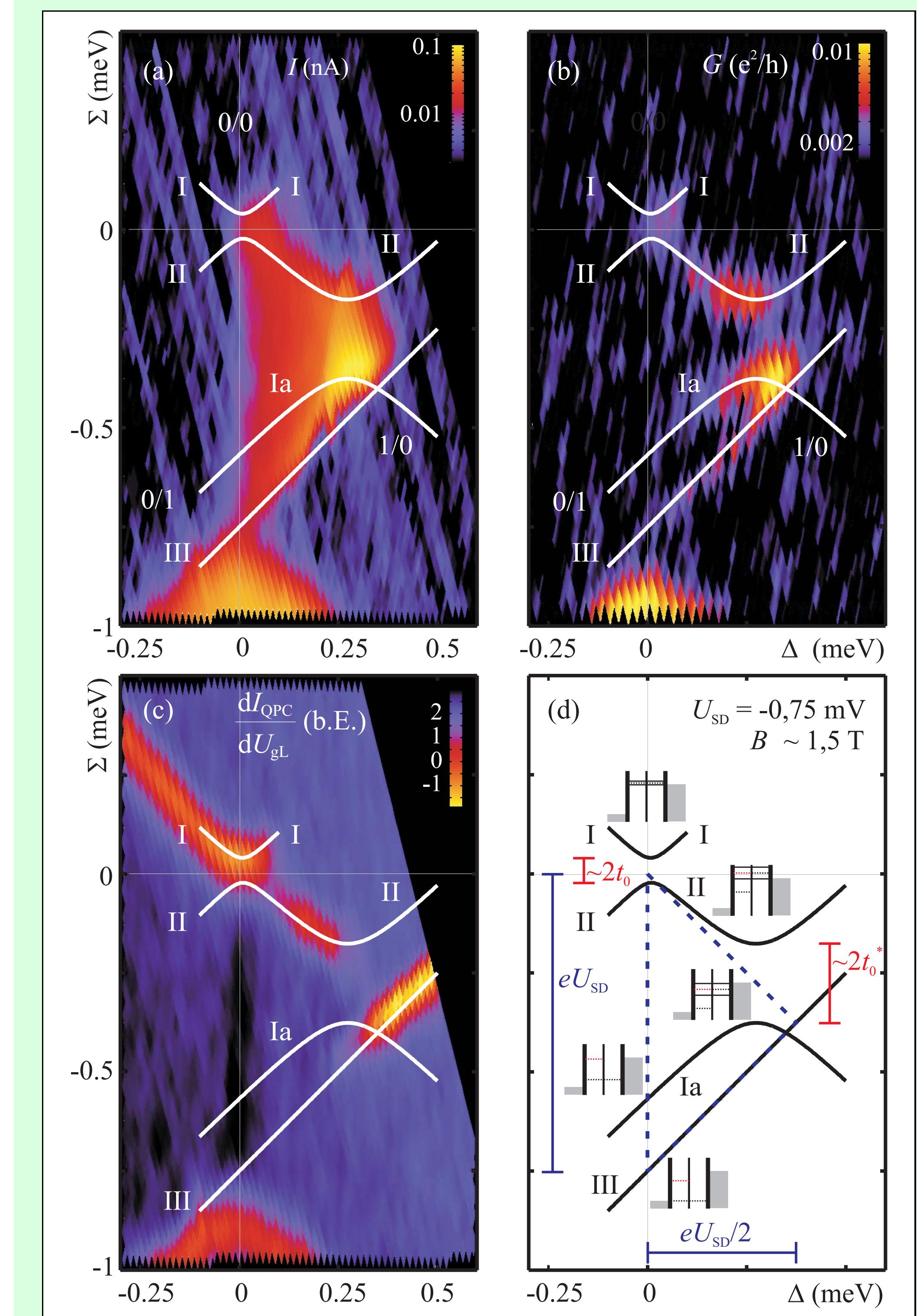


$B_{\perp} > 0 \longrightarrow$ additional excited state



- Excited single-dot state enters transport window at finite B_{\perp} (additional line I^* of finite G)
- Excitation energy $\epsilon^*(B_{\perp}) \sim$ linear in B_{\perp}

Second anticrossing at $\Delta, B_{\perp} > 0$



- Hybridization of localized ground state (right dot) and excited state (left dot) for $eU_{SD} > 2\Delta = \epsilon^*(B_{\perp})$
- Model lines: $H \doteq \begin{pmatrix} \Delta & -t_0 & -t_0^* \\ -t_0 & -\Delta & 0 \\ -t_0^* & 0 & -\Delta + \epsilon^* \end{pmatrix}$

References

- * A. K. Hüttel, S. Ludwig, H. Lorenz, K. Eberl, and J. P. Kotthaus, cond-mat/0501012 (to appear in PRB).
- * A. K. Hüttel, S. Ludwig, H. Lorenz, K. Eberl, and J. P. Kotthaus, cond-mat/0507101 (submitted).
- [1] M. Ciorga et al., PRB **61**, 16315 (2000).
- [2] M. Field et al., PRL **70**, 1311 (1992).
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- [4] J. R. Petta et al., PRL **93**, 186802 (2004).

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